Faeghe AmirArfaei

**Amir Baniamerian** 

Under Supervision of: Dr. Zhang

### **Outline**

- Interacting Multiple-Model (IMM)
- Variable Structure IMM
  - Maximum Likelihood Estimation (MLE)
- Proposed algorithm 1
- Proposed algorithm 2
- Simulation Results

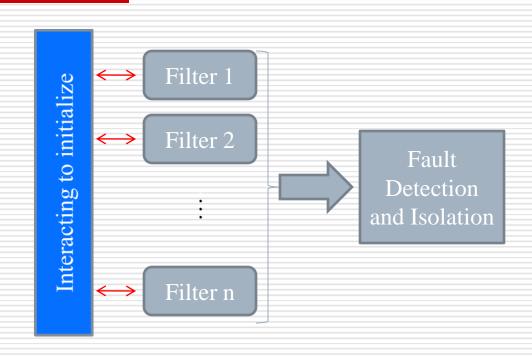
### **Outlines**

- IMM
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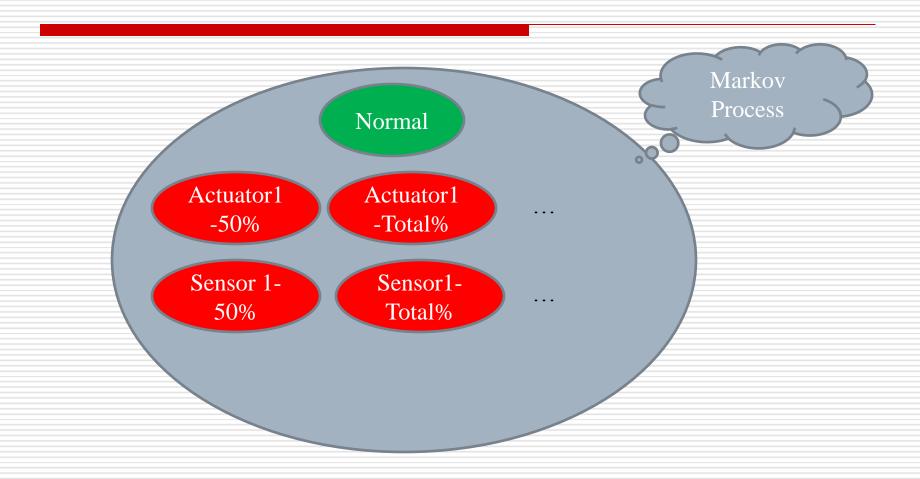
### **IMM**

A bank of filters

Interacting

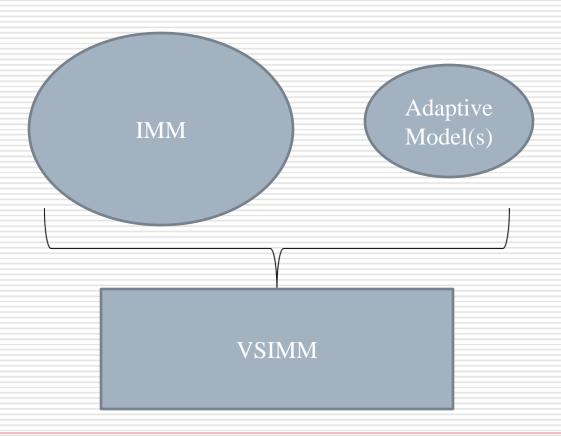


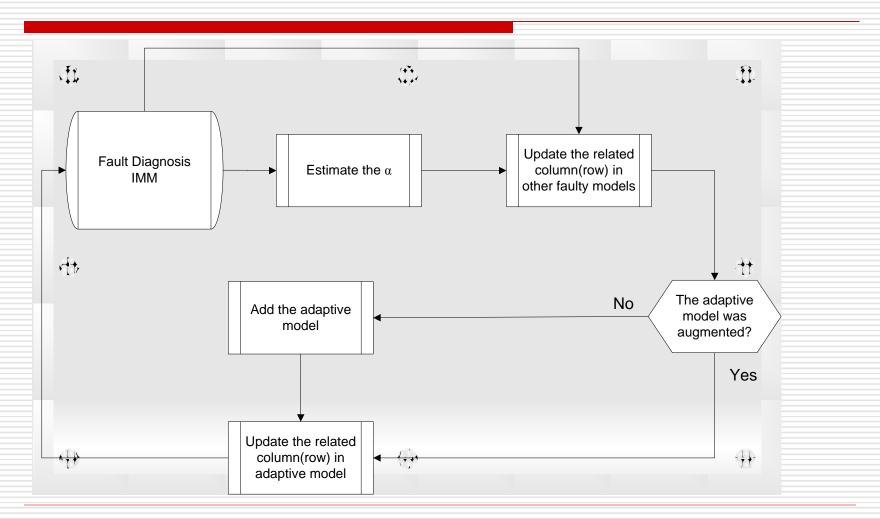
# **IMM**

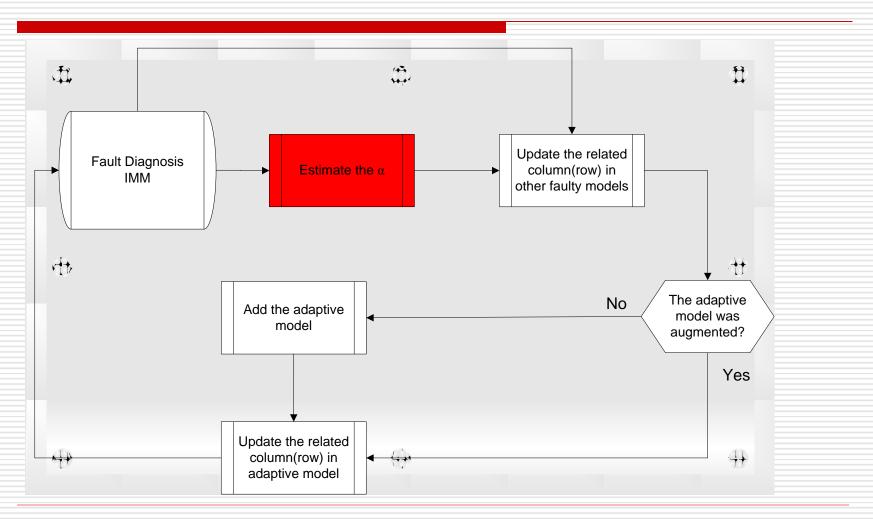


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#### **Maximum Likelihood Estimation**

Estimation of 'α' by maximizing the likelihood function.
 Using the Bayes theorem we have:

$$f(z^{k} \mid \alpha) = f(z_{k} \mid z^{k-1}, \alpha_{k}) \prod_{t=1}^{k-1} f(z_{t} \mid z^{t-1}, \alpha_{t})$$

 Regarding the fact that we don't change parameter estimation at previous times, we will have,

$$\hat{\alpha}_{k} = \arg \left\{ \max \left( f\left(z_{k} \mid z^{k-1}, \alpha_{k}\right) \right) \right\}$$

### **Maximum Likelihood Estimation**

One Fault occurrence

$$f(\alpha) = e^{-g(\hat{x})(\alpha - \alpha_0)^2}$$
$$g(\hat{x})(\alpha - \alpha_0) = 0$$

- Two faults are occurred at the same time
  - Not unique solution

$$f(\alpha_1, \alpha_2) = e^{-(g_1(\hat{x})(\alpha_1 - \alpha_{10}) + g_2(\hat{x})(\alpha_2 - \alpha_{20}))^2}$$

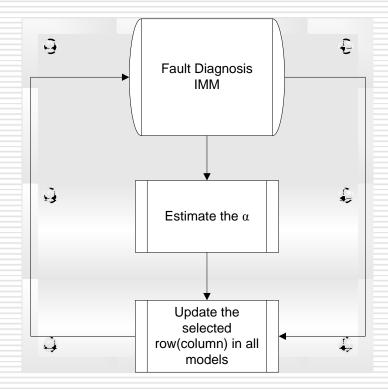
$$g_1(\hat{x})(\alpha_1 - \alpha_{10}) + g_2(\hat{x})(\alpha_2 - \alpha_{20}) = 0$$

### **Outlines**

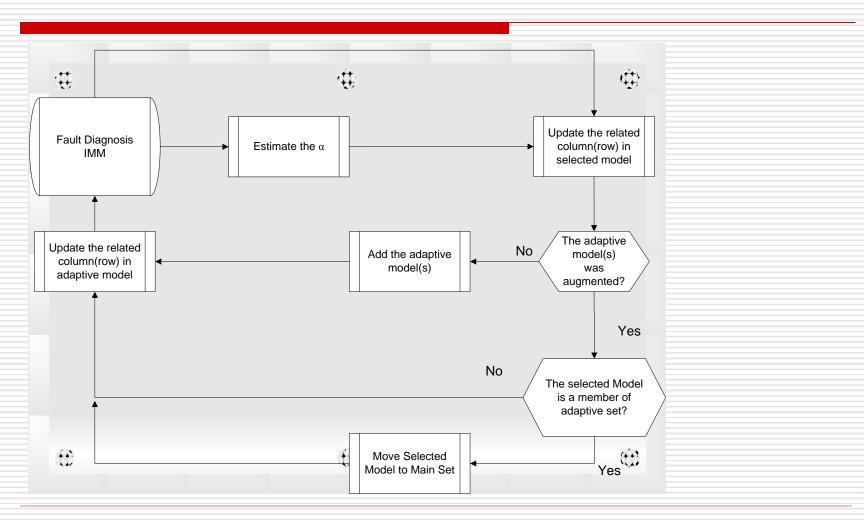
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# **Proposed Algorithm 1**

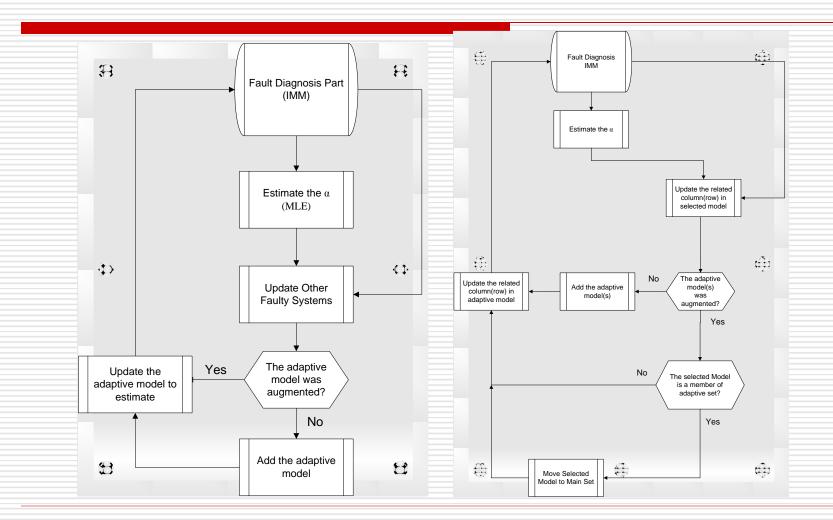
A Fixed Model Set- adaptive model



# **Proposed Algorithm 2**



# **Comparing**



# Comparing

- Notation
  - $[\alpha|\beta]$
  - $[0|\beta]$

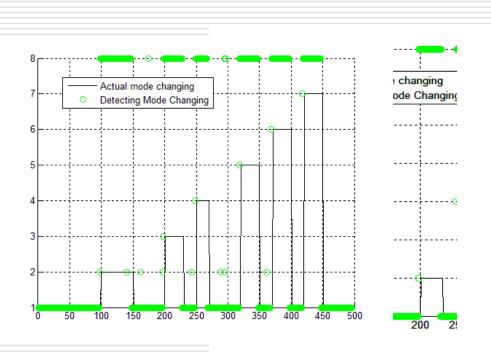
Senario : Both A	Actuator	Proposed method1	Proposed method2
• Without Reco	verŷ Action	$\left[\hat{\alpha} \mid \hat{\beta}\right] \left[0 \mid 1\right]$	$\begin{bmatrix} \hat{\alpha} \mid 1 \end{bmatrix}$ $\begin{bmatrix} 0 \mid 1 \end{bmatrix}$
$m_3$	$\begin{bmatrix} \hat{\alpha} \mid 0 \end{bmatrix} \begin{bmatrix} 1 \mid 0 \end{bmatrix}$	$\left[\hat{\alpha} \mid \hat{\beta}\right] \left[1 \mid 0\right]$	$\left[1 \hat{eta} ight]$ $\left[1 0 ight]$
$m_8$	$\left[\hat{\alpha} \mid \hat{\beta}\right] \left[\hat{\alpha} \mid 1\right]$	-	$\left[\hat{lpha} \hat{eta} ight]\left[\hat{lpha} 0 ight]$

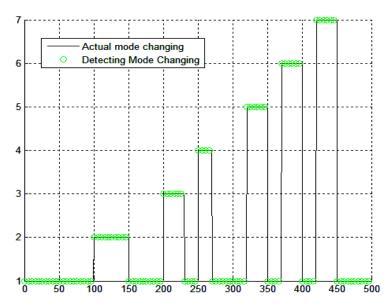
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#### **Outlines**

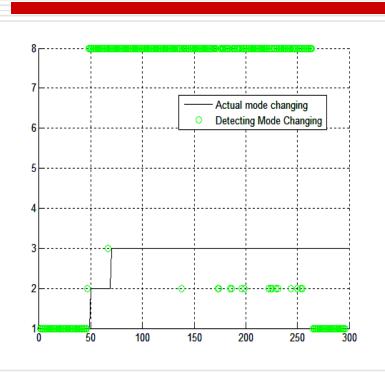
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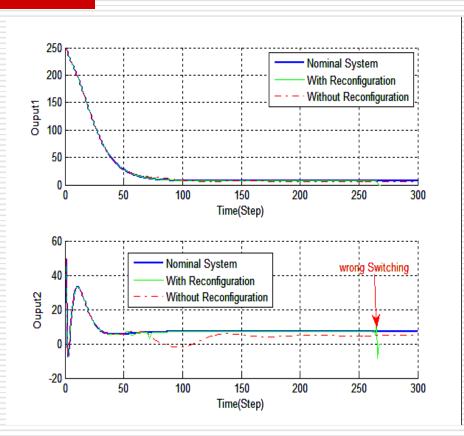
### **Simulation Result-Scenario1**



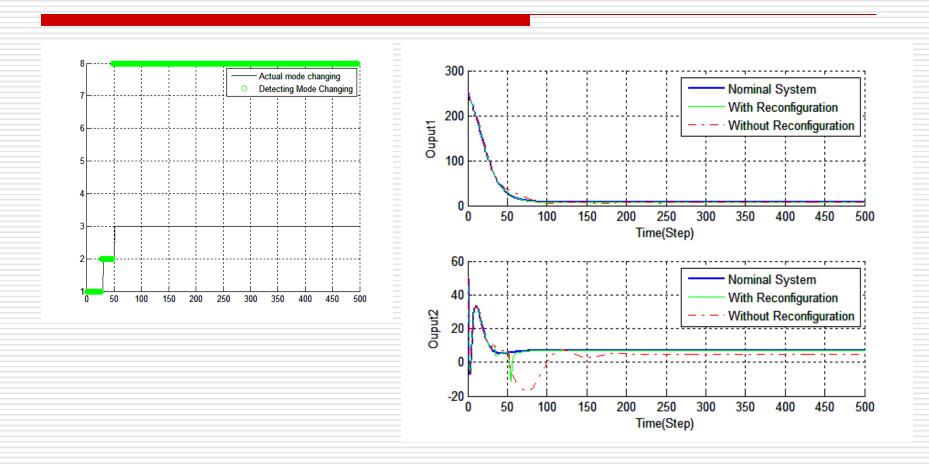


### **Simulation Result-Scenario2**





### **Simulation Results-Scenario2**



### **Conclusion**

- VSIMM in FDD part
  - Some Modifications needed to be utilized in AFTC
- Proposed Algorithm2
  - Applicable for High-Magnitude Faults
  - Minimum miss-alarm

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## Thanks for Your Attention

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